

REGRESSION EQUATIONS ON THE TI-82

1. Prepare y= screen.

- Clear y1. Either clear all other equations or turn them off.
- To turn off y2: $\boxed{y=}$ $\boxed{?}$ Y2=, use arrow keys to position cursor over = sign, press \boxed{ENTER} .

2. Turn on STAT PLOT.

- $\boxed{2nd}$ $\boxed{[STAT PLOT]}$ 1: Pl ot 1... \boxed{ENTER} .
- $\boxed{=}$ On \boxed{ENTER} .
- $\boxed{?}$ Type: highlight first graphing option, press \boxed{ENTER} .
- $\boxed{?}$ Xl i st: highlight L1 \boxed{ENTER} .
- $\boxed{?}$ Yl i st: highlight L2 \boxed{ENTER} .
- $\boxed{?}$ Mark: highlight desired option \boxed{ENTER} $\boxed{2nd}$ $\boxed{[QUIT]}$.
- When you are finished with the statistics applications, you will need to turn off STAT PLOT: $\boxed{2nd}$ $\boxed{[STAT PLOT]}$ $\boxed{4}$ PlotsOff \boxed{ENTER} .



3. Clear old data.

- An easy way of clearing an entire list is: \boxed{STAT} 1: Edi t, use the up arrow $\boxed{\uparrow}$ to highlight the name of the list you wish to clear, then press \boxed{CLEAR} \boxed{ENTER} .
- Another method is used in the home screen: \boxed{STAT} 4: Cl rLi st $\boxed{2nd}$ $\boxed{[L1]}$ \boxed{ENTER} .

4. Enter data points.

- \boxed{STAT} 1: Edi t \boxed{ENTER} .
- Clear old data, then enter the x-values in L1 and the y-values in L2. Press \boxed{ENTER} after each entry. Enter each pair side-by-side, and be sure you have the same number of entries in each list. (You cannot use 0 as an x-value for logarithmic regression; enter .000001 instead of 0 for x.)
- $\boxed{2nd}$ $\boxed{[QUIT]}$ after all data is entered.
- **Example:** Data pairs:

1	113
2	114
3	119
4	122
5	129

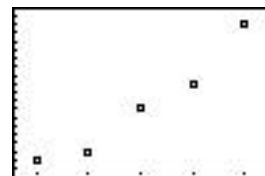
Lists:

L1	L2	L3
4	113	
5	114	
6	119	
7	122	
8	129	
9		
10		
11		
12		
13		
14		
15		
16		
17		
18		
19		
20		

5. Draw scatter plot.

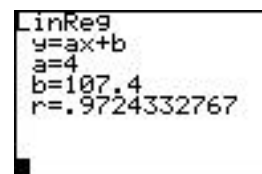
- \boxed{ZOOM} 9: ZoomSt at \boxed{ENTER} .
- $\boxed{2nd}$ $\boxed{[QUIT]}$.

Scatter plot:



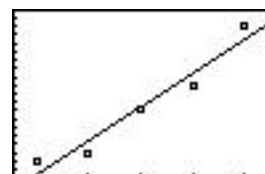
6. Calculate linear regression equation.

- \boxed{STAT} $\boxed{\leftarrow}$ CALC 5: Li nReg(ax+b) $\boxed{2nd}$ $\boxed{[L1]}$ $\boxed{\downarrow}$ $\boxed{2nd}$ $\boxed{[L2]}$
- The default lists are L1 and L2 and may be omitted.
- This means that $y = 4x + 107.4$ is the *line* of best fit.



7. Store regression equation as Y₁.

- This must be done immediately after the regression equation is calculated.
- $\boxed{y=}$ Y₁= \boxed{VARS} $\boxed{5}$ 5: Stati sti cs... $\boxed{\leftarrow}$ $\boxed{\leftarrow}$ EQ $\boxed{7}$ 7: RegEQ \boxed{ENTER} $\boxed{2nd}$ $\boxed{[QUIT]}$.
- To superimpose regression equation on scatterplot: \boxed{GRAPH} .



8. The correlation coefficient r.

- The correlation coefficient r is a number between -1 and +1 that indicates the closeness of the fit of the regression line. The closer |r| is to 1, the better the fit. This line is a good fit, but there may be another type of regression that is even better.

9. Use regression equation to predict other y-values.

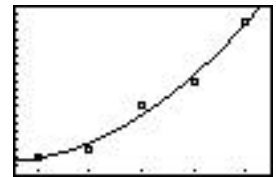
- Example:** To find y when x = 10: `[2nd] Y-VARS] 1: Function [ENTER] 1:Y1 [ENTER] [C] [1] [0] [D] [ENTER]`.
- You could also store 10 as X and then evaluate Y₁, or you could use the graph and the `[2nd] [CALC] 1: value` option.

10. Calculate other types of regression models: coefficients rounded to 3 decimals.

- Quadratic model:** **QuadReg**

$$y = .714x^2 - .286x + 112.4$$

```
QuadReg
y=ax^2+bx+c
a=.7142857143
b=-.2857142857
c=112.4
```

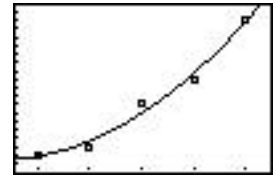


- Cubic model:** **CubicReg**

$$y = .714x^2 - .286x + 112.4$$

Isn't that strange!!

```
CubicReg
y=ax^3+bx^2+cx+d
a=1E-13
b=.7142857143
c=-.2857142857
d=112.4
```

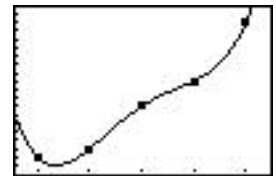


- Quartic model:** **QuartReg**

$$y = .5x^4 - 6x^3 + 25.5x^2 - 41x + 134$$

This is a perfect fit!

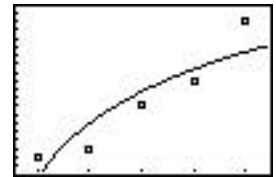
```
QuarticReg
y=ax^4+bx^3+...+e
a=.5
b=-6
c=25.5
d=-41
e=134
```



- Natural logarithmic model:** **LnReg**

$$y = 110.585 + 9.206 \ln x$$

```
LnReg
y=a+b*lnx
a=110.5850699
b=9.206209221
r=.8995652326
```



- Exponential model:** **ExpReg**

$$y = 107.933(1.034^x)$$

```
ExpReg
y=a*b^x
a=107.9326166
b=1.033826717
r=.9756712806
```

