

# REGRESSION EQUATIONS ON THE TI-85

## 1. Prepare $y(x)$ screen.

- Clear  $y1$ . Either clear all other equations or turn them off.
- To turn off  $y2$ : **[GRAPH] [F1]**  $y(x) = [?] y2$ , then press **[F5]** **SELCT** < **[2nd]** **[QUIT]**.

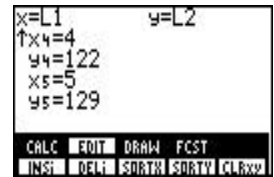
## 2. Clear old data and enter data pairs.

- **[STAT] [F2]** Edit.
- You can name the  $x$  list and  $y$  list as you wish; we will use L1 and L2 here: **[ALPHA] [L] [1] [ENTER] [ALPHA] [L] [2] [ENTER]**.
- Always clear old data before entering new data: **[F5]** CLRxy.
- Enter the data, pressing **[ENTER]** after each entry. Be sure that the data pairs match up correctly. You must have the same number of entries in each list. (You cannot use 0 as an  $x$ -value for logarithmic regression; enter 0.000001 instead of 0 for  $x$ .)

- **Example:** Data pairs:
 

1	113
2	114
3	119
4	122
5	129

 Lists:



- **[2nd]** **[QUIT]** after all data is entered.

## 3. Set window to fit data, allowing some blank space on all sides.

- **[GRAPH] [F2]** RANGE.
- The menu at the bottom of the screen will take up about  $\frac{1}{4}$  of the screen; therefore, it is necessary to adjust the window.
- To set  $y$ Min: arrow over to right of current numerical value. Press **[x] [.] [9] [GRAPH] [2nd]** **[QUIT]**.



## 4. Draw scatter plot:

Scatter plot:

- **[STAT] [F3]** DRAW **[F2]** SCAT
- **[2nd]** **[QUIT]**.



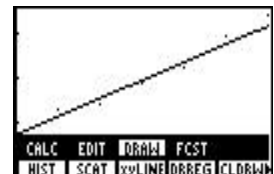
## 5. Calculate linear regression equation.

- **[STAT] [F1]** CALC **[ENTER] [ENTER] [F2]** LI NR.  
This means that  $y = 107.4 + 4x$  is the *line* of best fit.
- **[2nd]** **[QUIT]**.



## 6. Superimpose linear regression line on scatter plot.

- **[GRAPH] [F1]**  $y(x) = y1 = [2nd] **[VARS] [MORE] [MORE] [F3]** **STAT [?] RegEq [ENTER] [2nd]** **[QUIT]**.$
- Each time a new regression equation is calculated,  $y1$  will be automatically updated.
- **[STAT] [F3]** DRAW **[F2]** SCAT.



## 7. The correlation coefficient $r$ .

- The correlation coefficient  $r$  is a number between  $-1$  and  $+1$  that indicates the closeness of the fit of the regression line. The closer  $|r|$  is to 1, the better the fit. This model is a good fit, but there may be another type of regression that is even better!

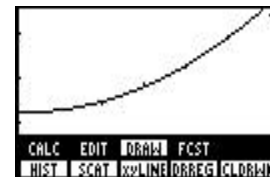
**8. Use the regression equation to predict y-values for other x-values: suppose x = 10**

- **[STAT] [F4] FCST** x= **[1] [0] [ENTER] [F5] SOLVE**. This yields y = 147.4; then press **[2nd] [QUIT]** to exit.
- Alternate method if you have stored regression equation in y1: **[1] [0] [STO<] [ENTER] [2nd] [ALPHA] [y] [1] [ENTER]**.
- You can also use forecast to find x if y is given! Suppose y = 10: **[STAT] [F4] FCST [ENTER]** y= **[1] [0] [>] [F5] SOLVE**. **[2nd] [QUIT]** to exit.

**9. Calculate other types of regression models: coefficients rounded to 3 decimals.**

- **Quadratic:** Use P2REG

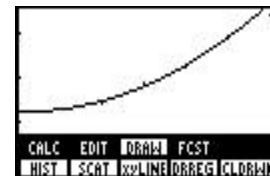
$$y = 0.714x^2 - .286x + 112.4$$



- **Cubic:** Use P3REG

$$y = 0.714x^2 - .286x + 112.4$$

Isn't that strange!!



- **Quartic:** Use P4REG

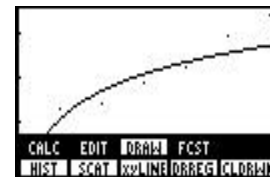
$$y = .5x^4 - 6x^3 + 25.5x^2 - 41x + 134$$

This is a perfect fit!



- **Natural Logarithmic:** Use LnR

$$y = 110.585 + 9.206 \ln x$$



- **Exponential:** Use EXPR

$$y = 107.933*(1.034^x)$$

